

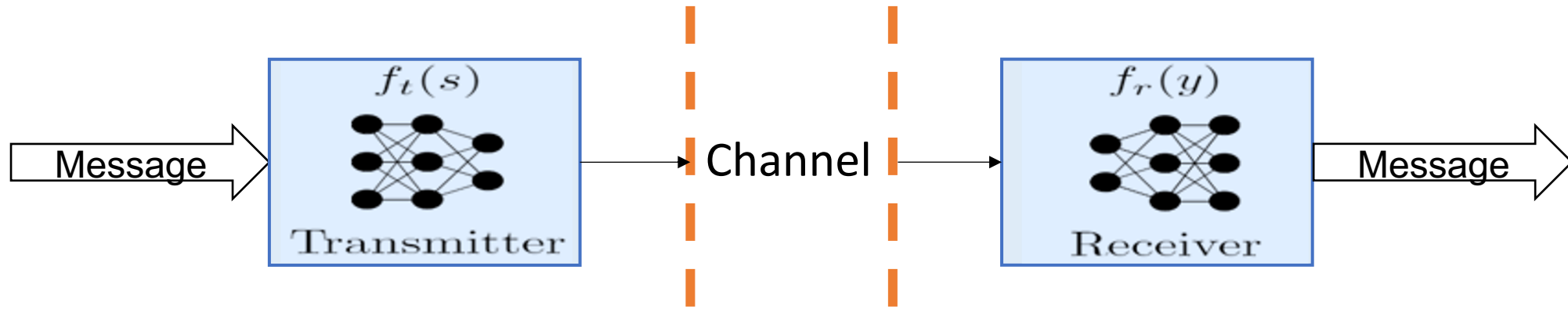
# Optimizing Space Communications using Deep Learning

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NASA Glenn Research Center

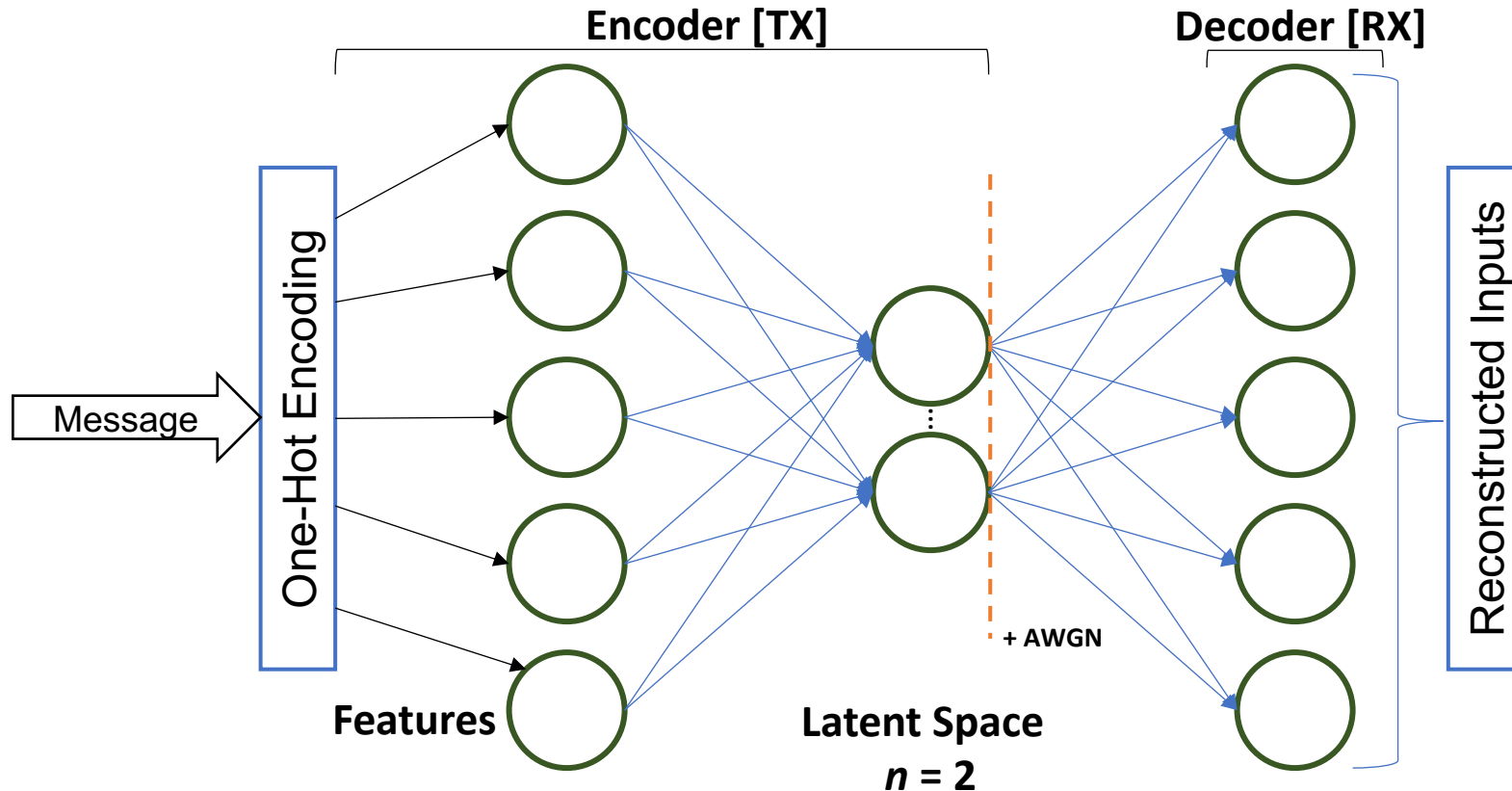


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# Introduction: End-to-end Communication Systems



# Introduction: Autoencoders



- Best practices in training communications autoencoders are not finalized

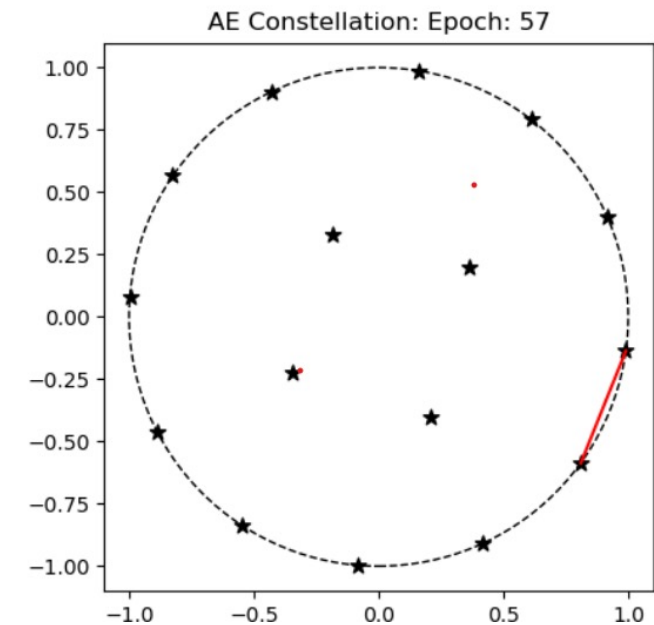
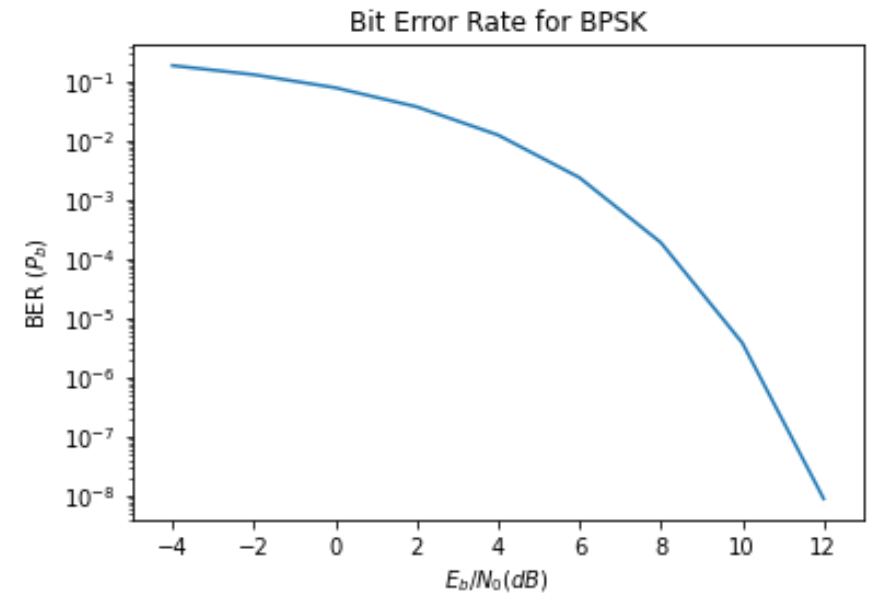
# Objective

Improve modulation and coding solutions produced by deep neural networks

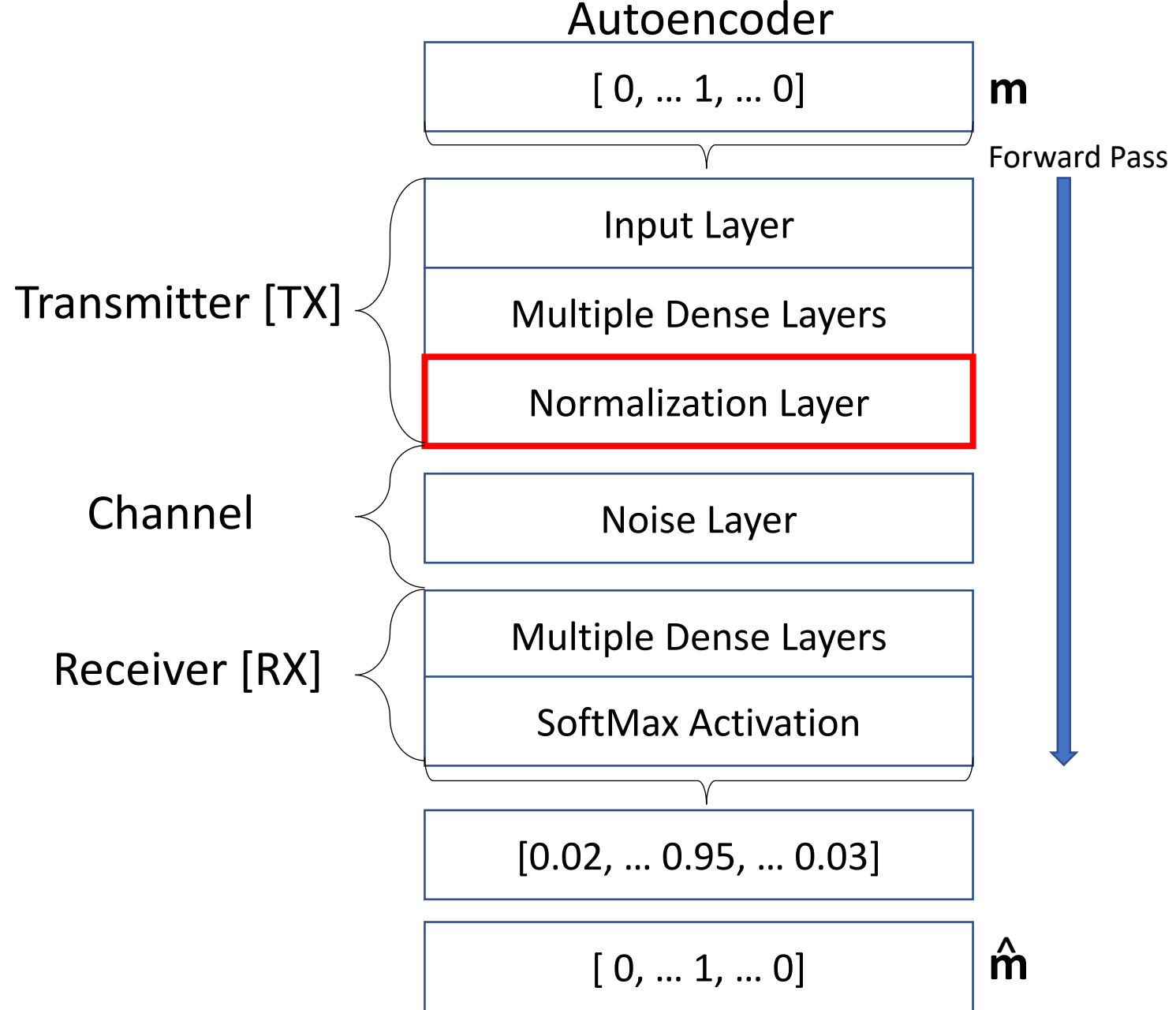
- Constraining power through normalization
- Enhancing training configurations using non-additive white Gaussian noise solutions
- Implementing gray-coding schemes for optimizing bit-vector placements

# Important Metrics to Consider

- Symbol and Bit Error Rates (SER/BER)
  - Number of symbols/bits misclassified versus total transmitted
- Constellation Figure of Merit (CFM)
  - Euclidean distance between closest symbols

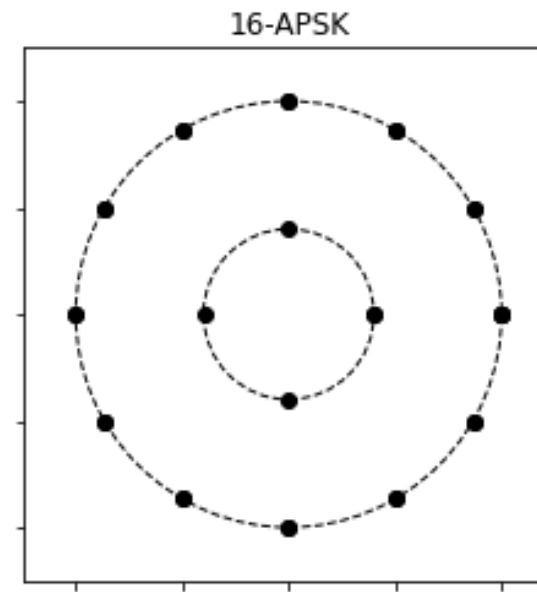
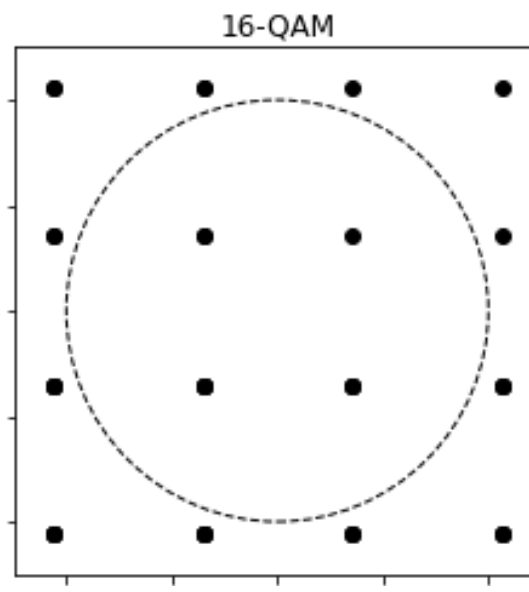
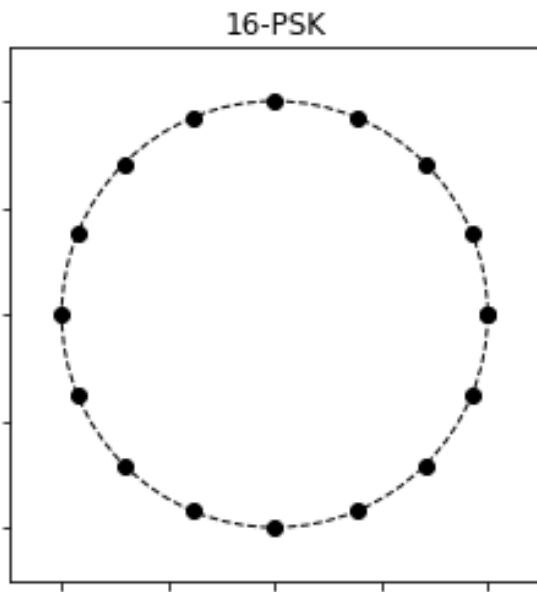


# Power Constraint through Normalization



# Importance of Normalization Layer

- Normalizing the output of the transmitter
    - Acts as an output energy constraint
  - Encourage optimization of the available symbol space
- Two types of constraints:
    - Soft constraints, where the average power of total transmitter symbols must be below a threshold
    - Hard constraints, where all transmitted symbols must be below a threshold



# Types of Normalization Layers

Name	Constraint
Average Power	$\mathbb{E}[ x_i ] \leq 1 \forall i$
Max	$ x_i  \leq 1 \forall i$
Linear	$\frac{ x_i }{\operatorname{argmax}( x_i )} \forall i$
Saleh	$\alpha = 1, \beta = 2$ $w = \frac{\alpha}{1 + \beta *  x_i ^2} \Rightarrow w * x_i$
Constrained Batch (CBN)	$\gamma, \beta \in \text{Batch Normalization (BN)}$ $x_{i,BN} = \text{BN}(x_i) \mid \beta = 0 \ \& \ \max \gamma  \leq 0.9$ $ x_{i,BN}  \leq 1$



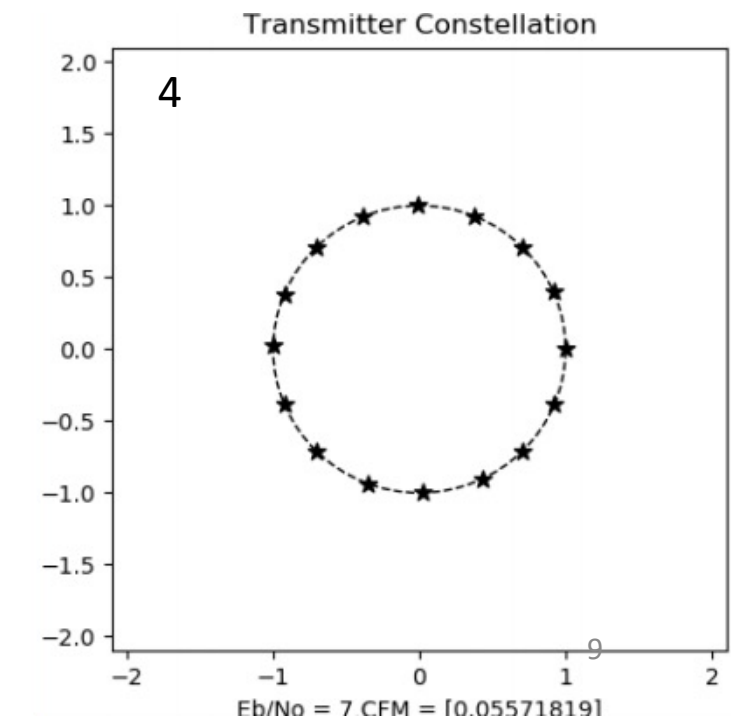
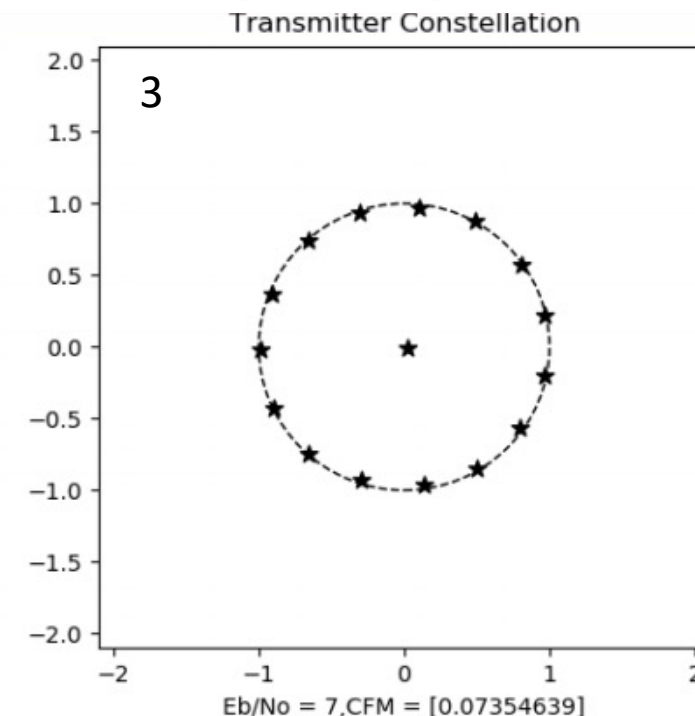
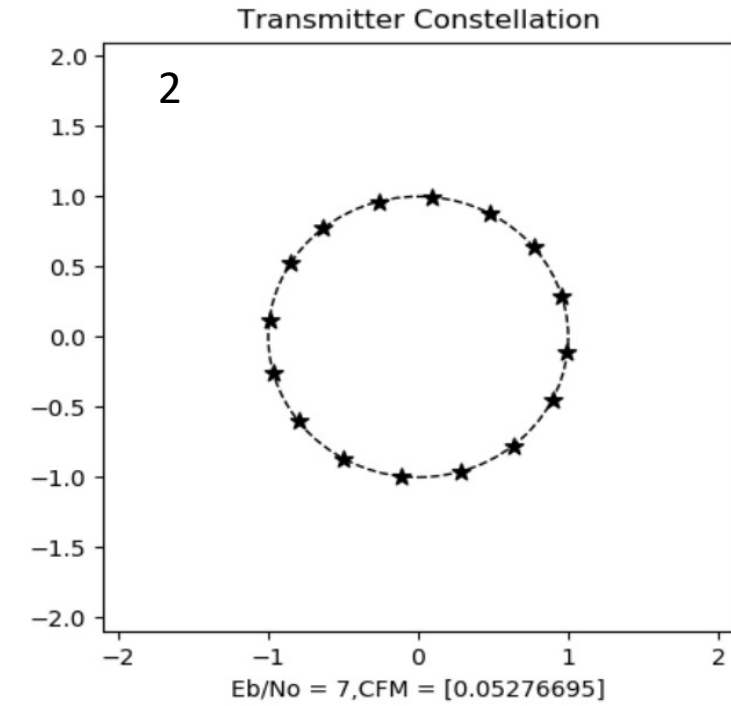
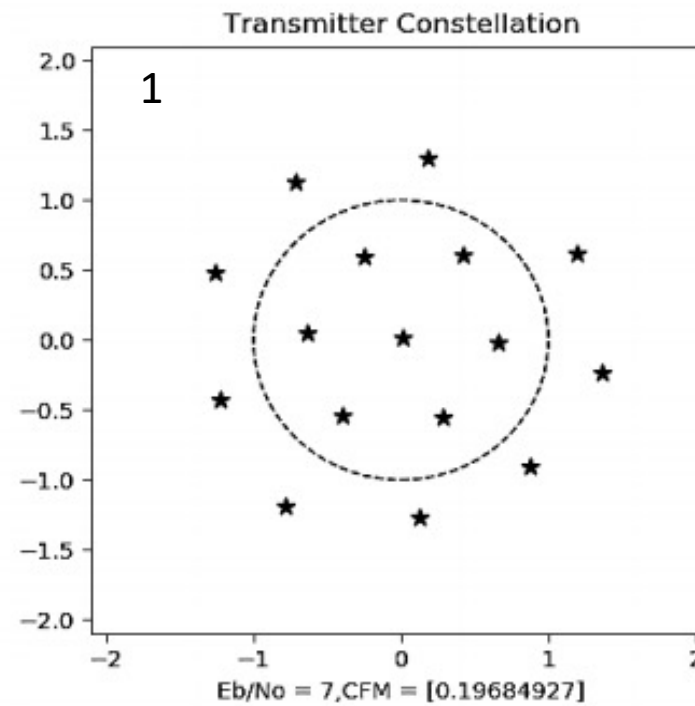
# Normalization Results

1. Average Norm  
 $\mathbb{E}[|x_i|] \leq 1 \forall i$

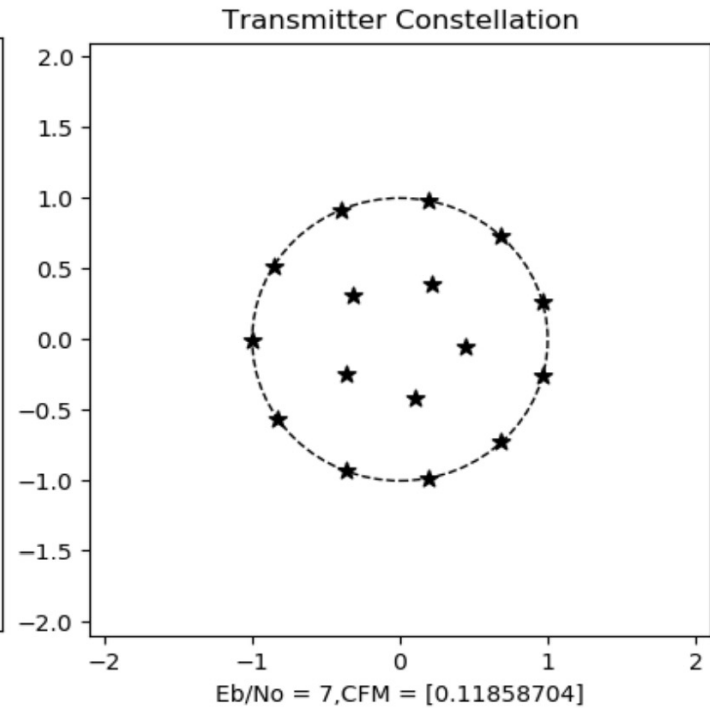
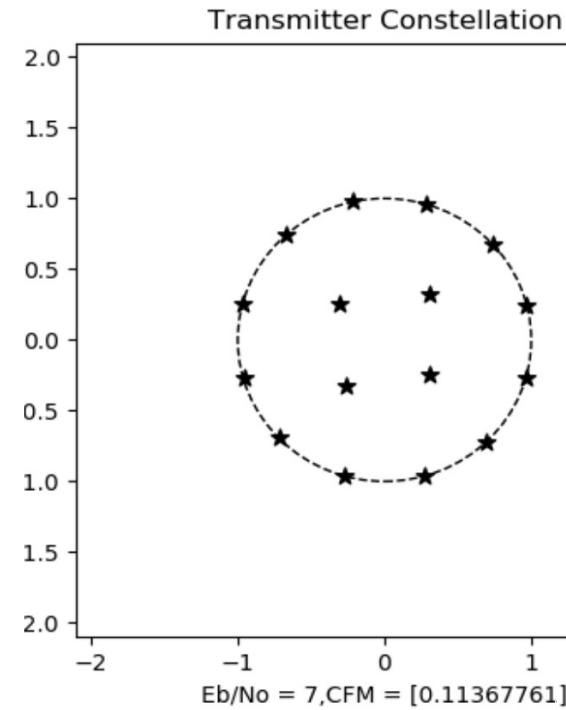
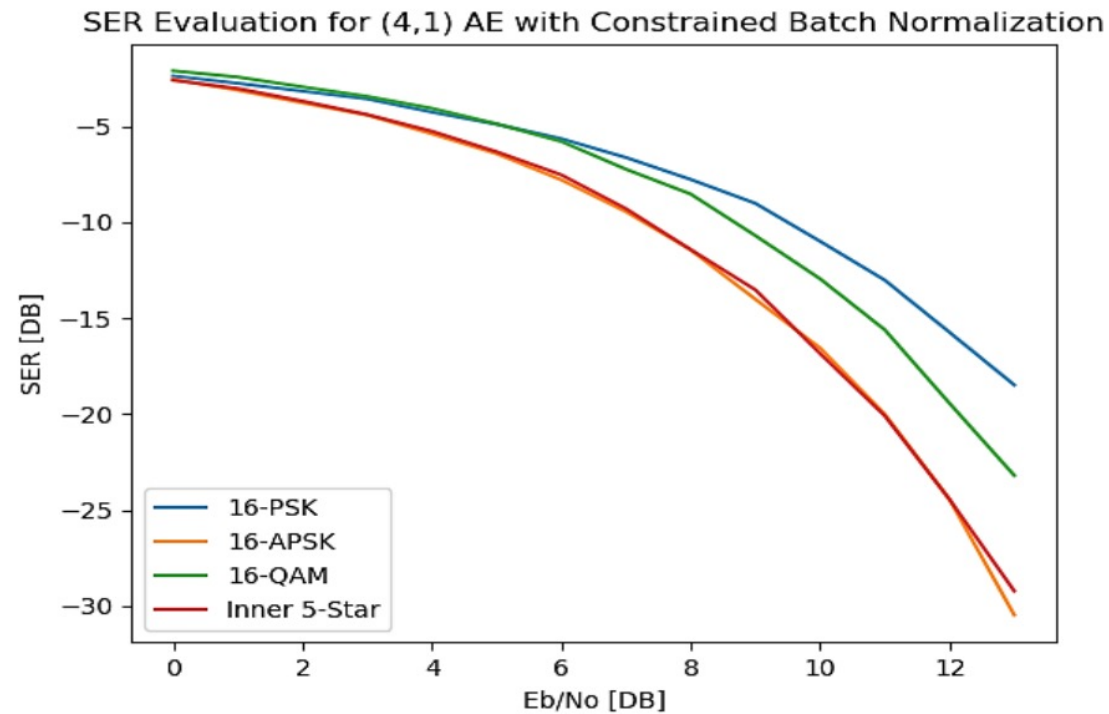
2. Max Norm  
 $|x_i| \leq 1 \forall i$

3. Linear Norm  
 $\frac{|x_i|}{\operatorname{argmax}(|x_i|)} \forall i$

4. Saleh Norm  
 $w = \frac{\alpha}{1 + \beta * |x_i|^2} \Rightarrow w * x_i$



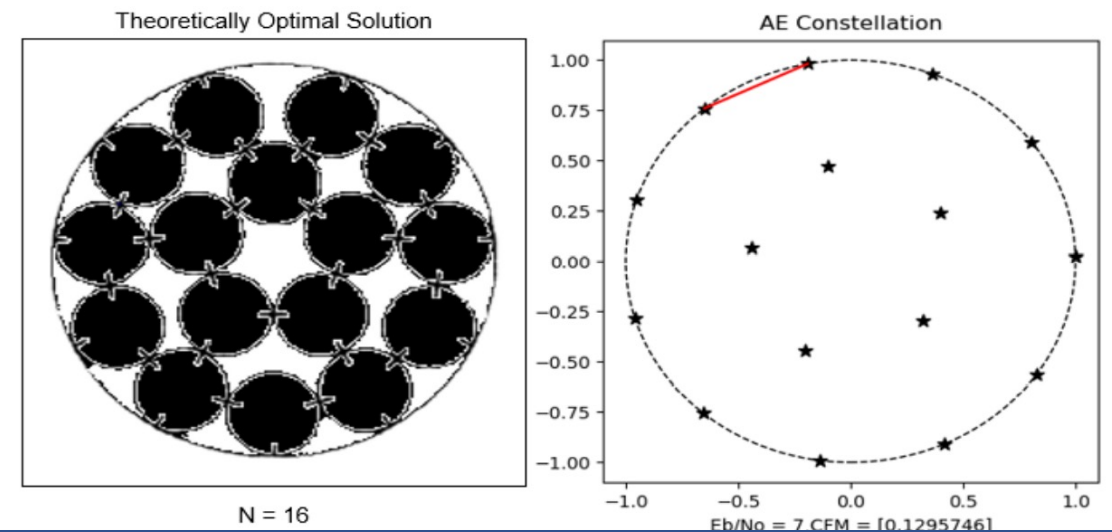
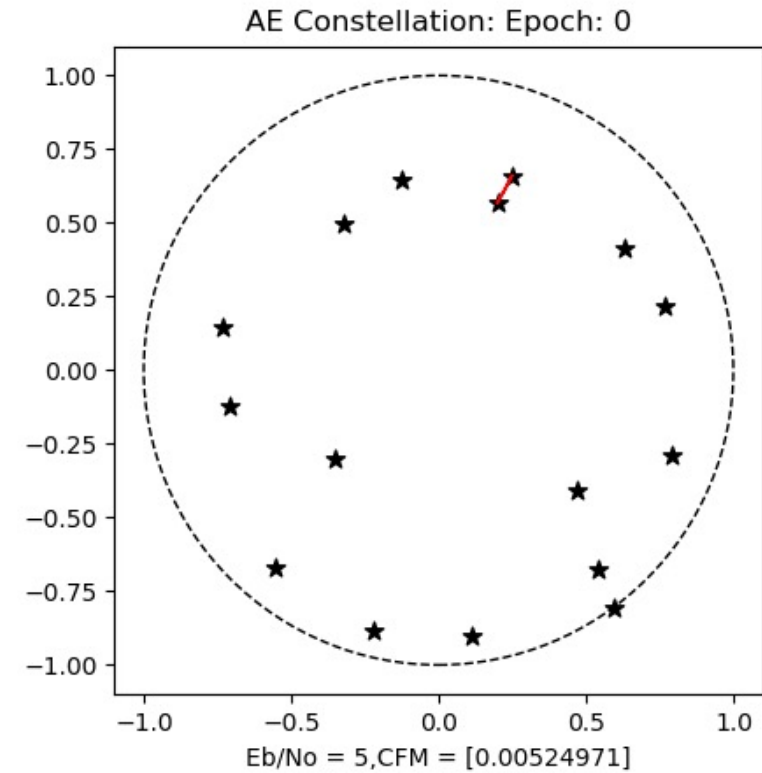
# 5. Constrained Batch Normalization



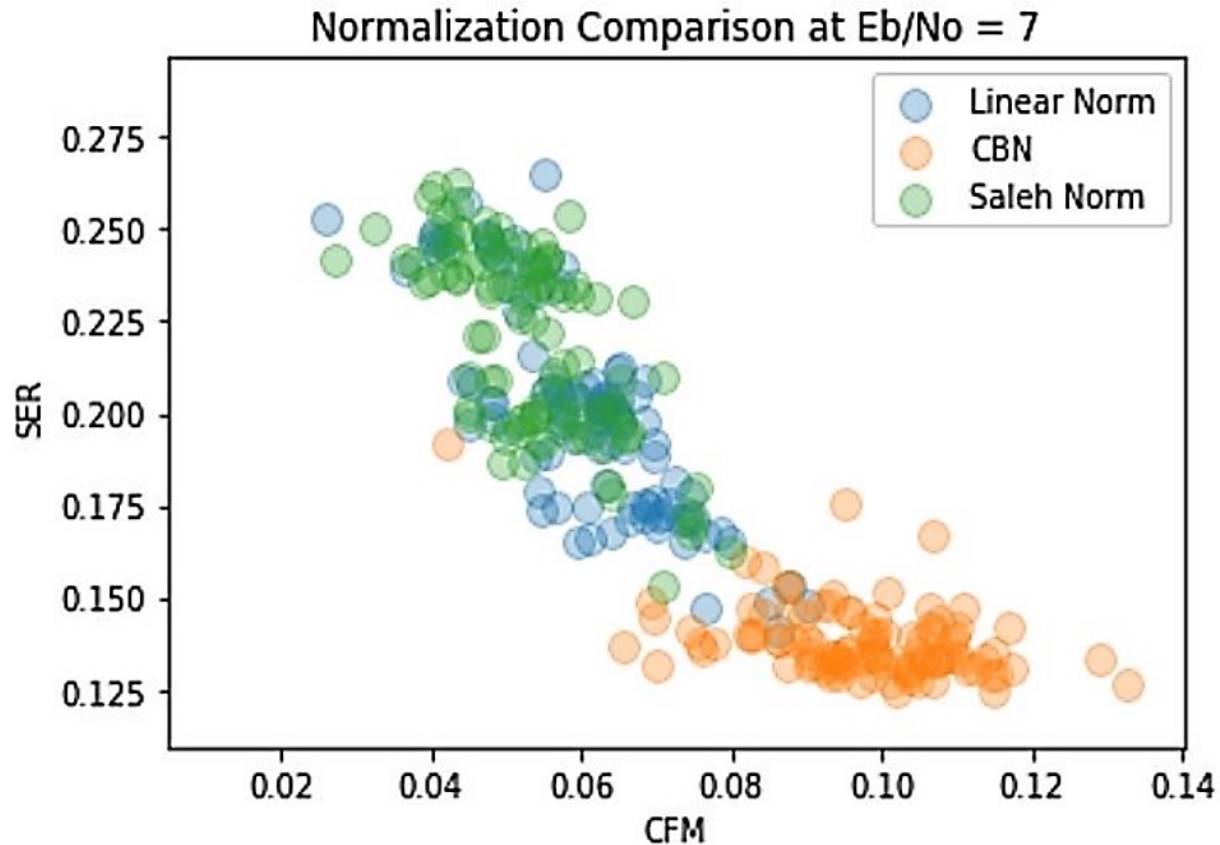
- 16-APSK-like SER performance as a function of Eb/No formation, with four and five inner points formations

# Constrained Batch Normalization

- Optimizes the use of internal unit circle space to achieve higher CFM values
- Solutions resemble circle-packing theory



# Normalization Summary

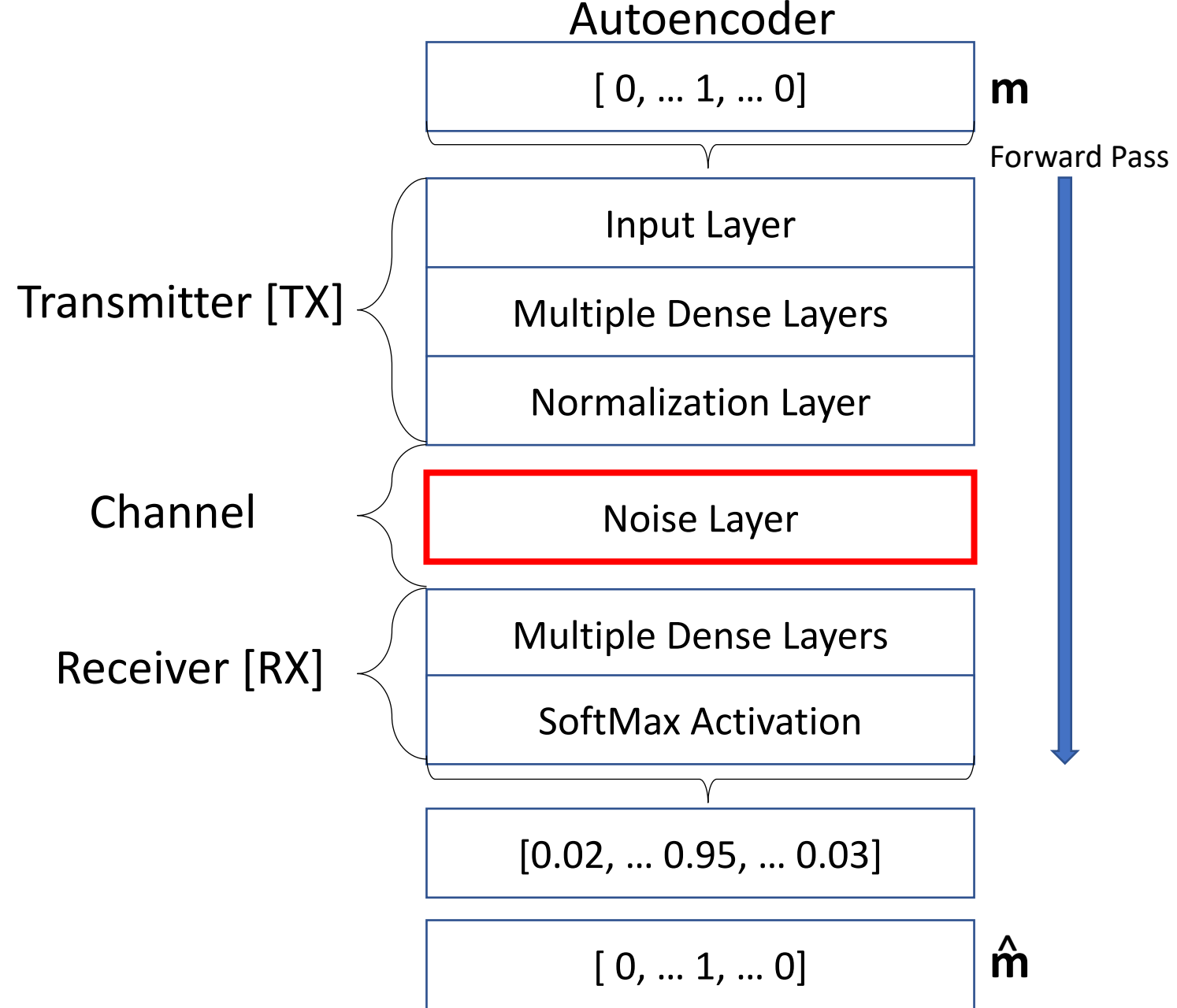


Average CFM and SER values over 100 autoencoder trainings

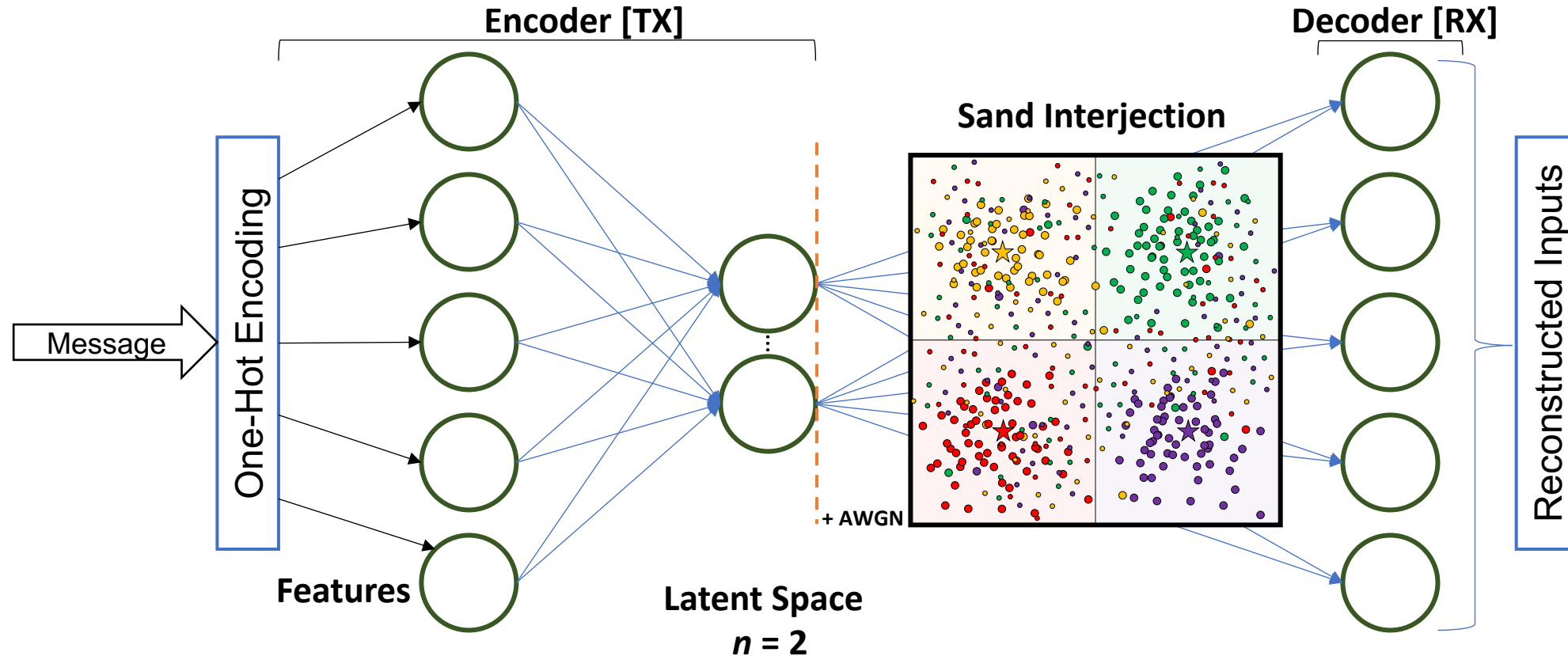
<b>Eb/No</b>	<b>CFM</b>	<b>SER [dB]</b>
Max	0.039	-6.99
Saleh	0.053	-6.55
Linear	0.060	-6.57
CBN	0.097	-8.59

- CBN outperforms the other hard constraint layers, navigating to lower SER and higher CFM values

# Sand Noise as a Training Enhancement



# Sand Noise as a Training Enhancement

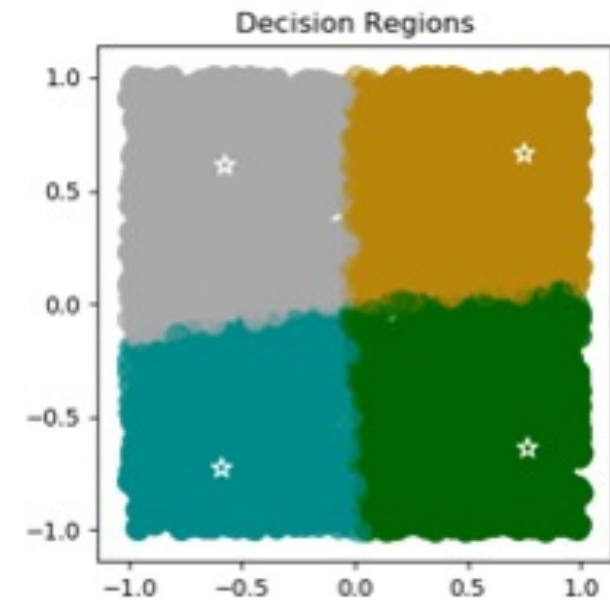
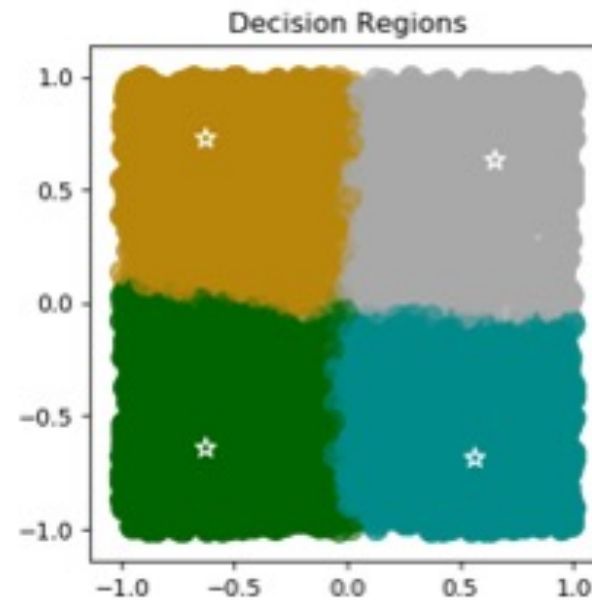
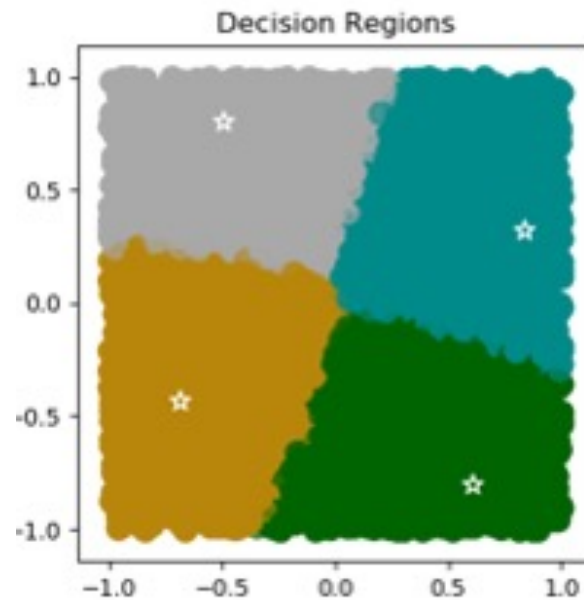
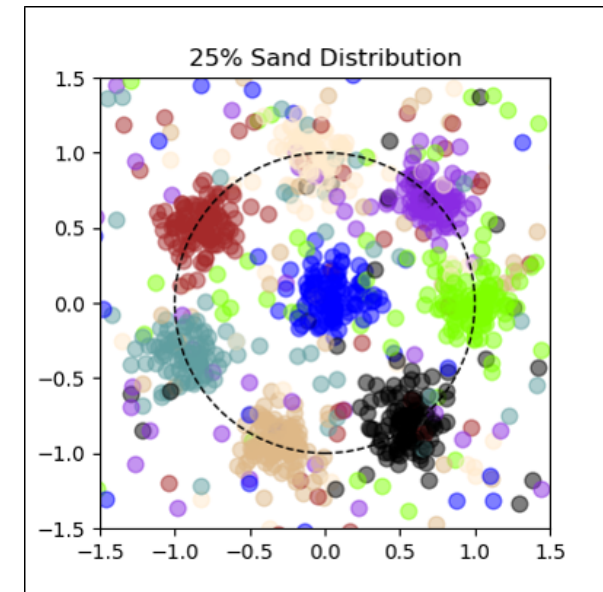


- Suggested by researchers at MIT for decision boundaries to “train harder”
- Sampled transmitter output with a sample drawn from a random 2-D distribution

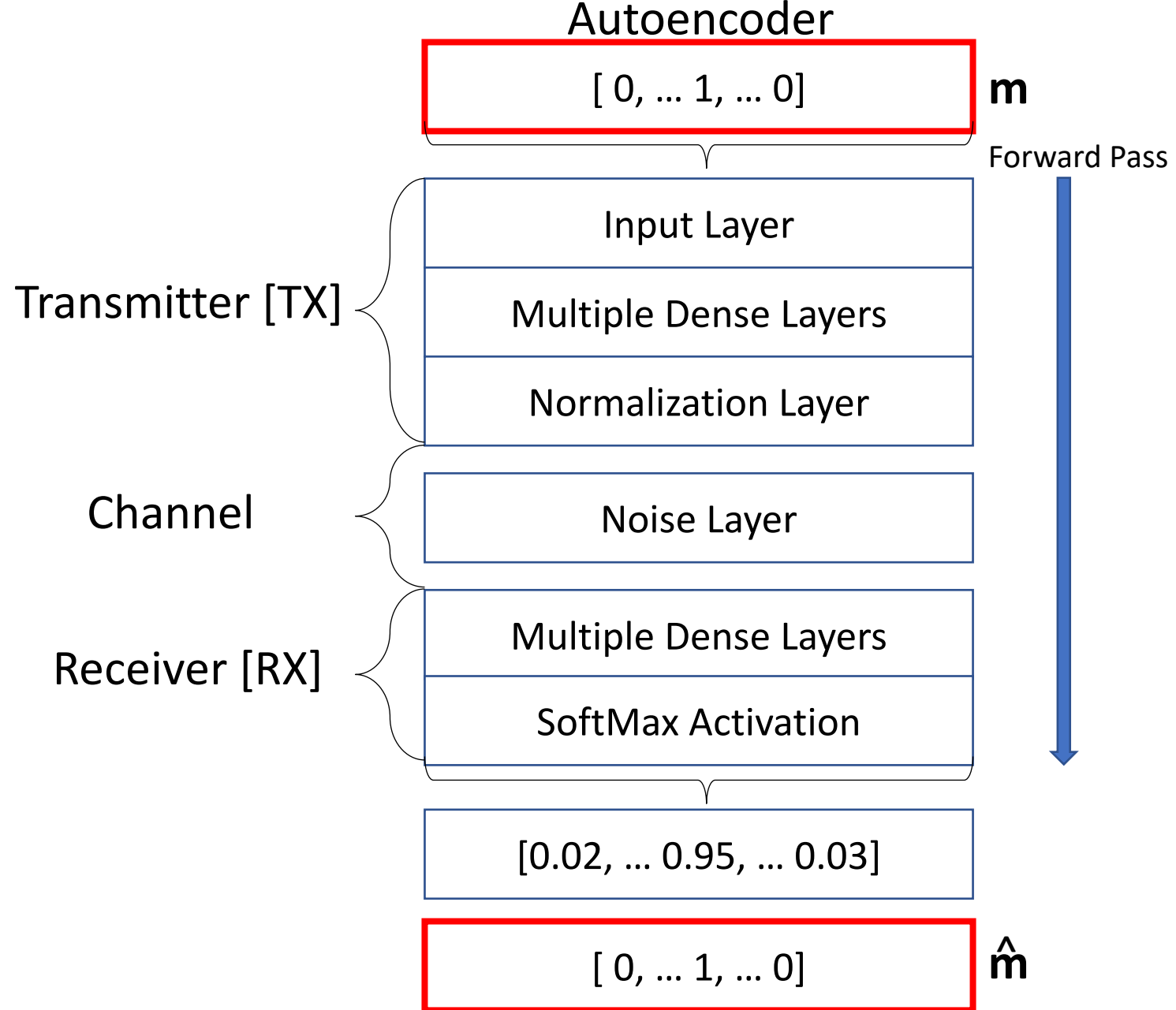
Zheng, L., “Using Neural Networks in Communications Problems – Theory and Examples,” Globecom Keynote, December 10, 2019. (unpublished)

# Results/Conclusions

- As a standalone layer
- As a noise enhancer
  - A 60% reduction in average SER value across 10 trials for both 5% and 10% sand cases was observed, with a better performing constellation



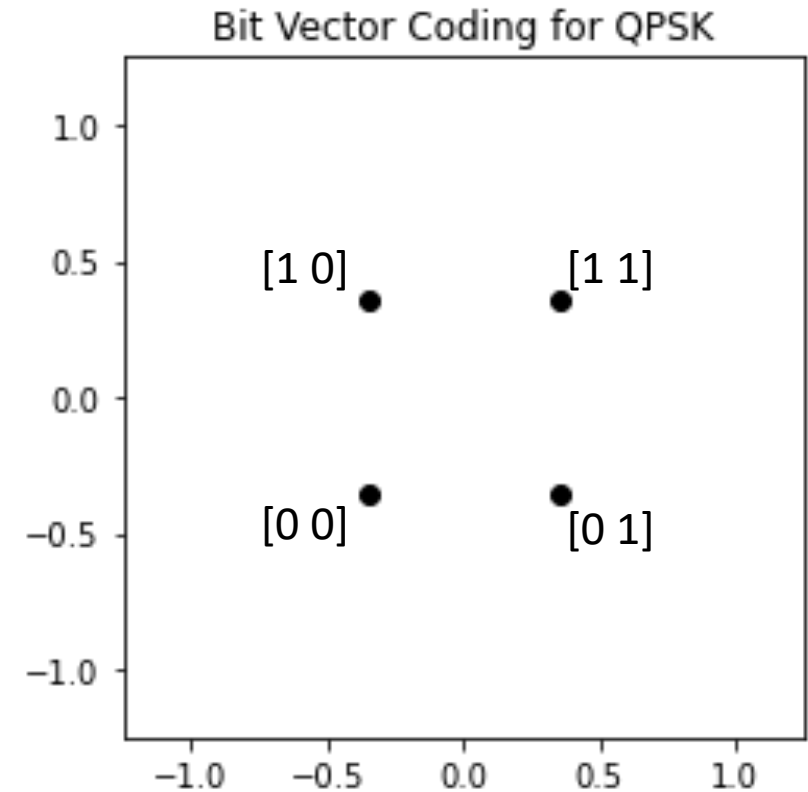
# One-Hot versus Bit-Vector Encoding



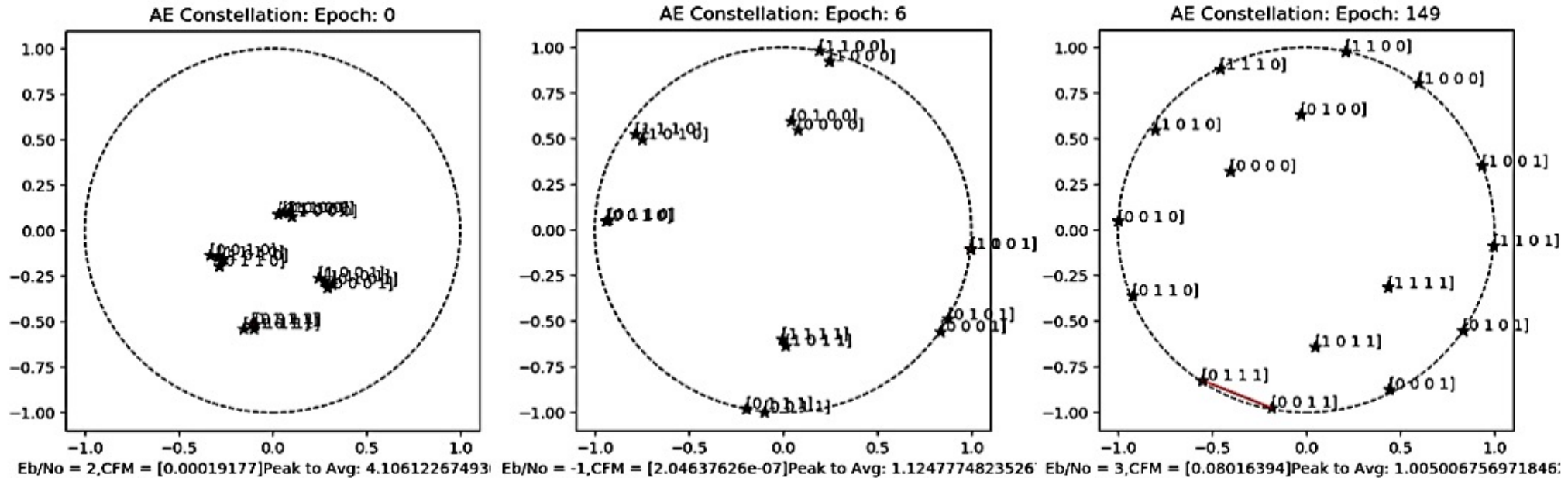


# One-Hot versus Bit-Vector Encoding

- Introduced a custom loss function
  - Exponentially increase loss per bit flip
- Encourage autoencoder to strategically place bit vectors to minimize bit error



# Results



- A “Splitting Effect” was achieved over the course of training
- Moves towards the idea of gray-coding solutions

# Conclusions

- Constrained batch normalization outperformed other hard constraining methods through optimization of the latent space
- Sand interjection did not improve constellation formation for greater modulation orders
- A splitting effect indicated error-reducing bit vector placements in latent space

# Acknowledgments

- Cognitive Signal Processing Branch at Glenn Research Center
- Lewis' Educational and Research Collaborative Internship Project (LERCIP) Program