

Cognitive Radio Testbed for Digital Beamforming of Satellite Communication

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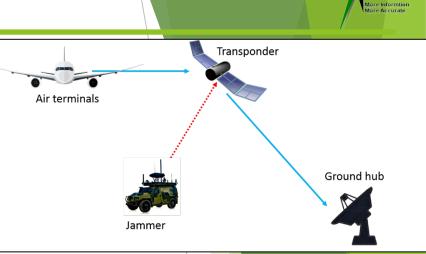
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✤ Introduction

- System Structure
- ✤ DoA Estimation
- Numerical Results
- Conclusion

- ✤ Jamming signal is a major threat to satellite communication.
- Traditional bend-pipe satellite transponder is not anti-jamming capable.
- Modern Transponder's onboard processor is powerful enough for complex computation.
- DoA estimation provides information of user and jammer signal direction.
- ✤ On-board digital beamforming make received signal robust against jammer.



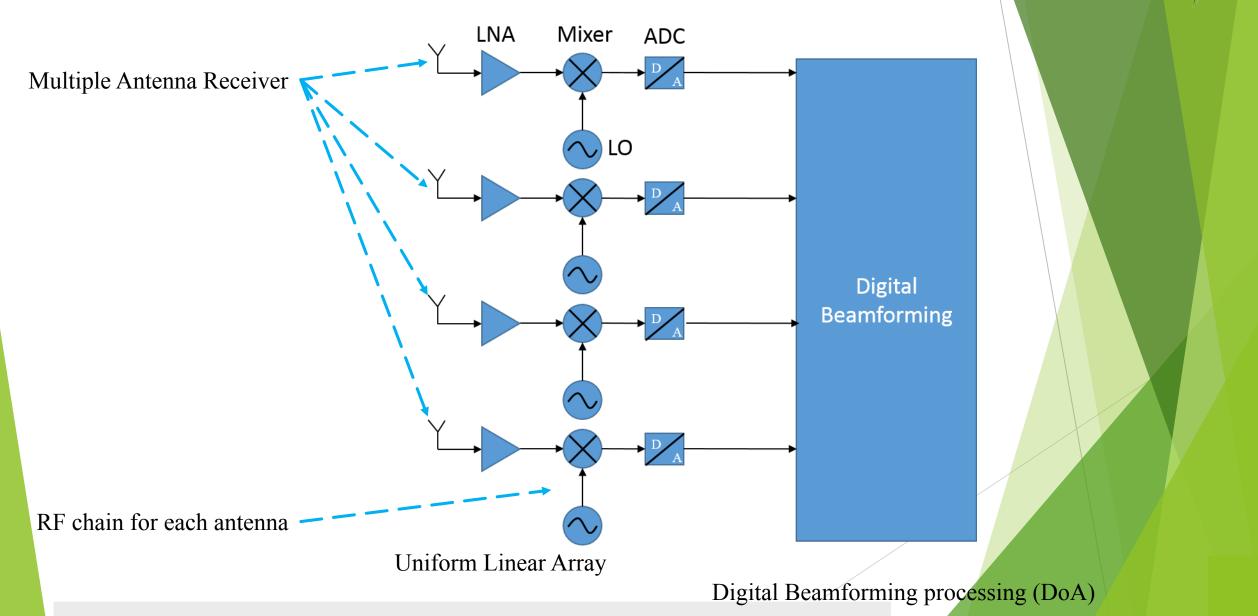


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System Structure

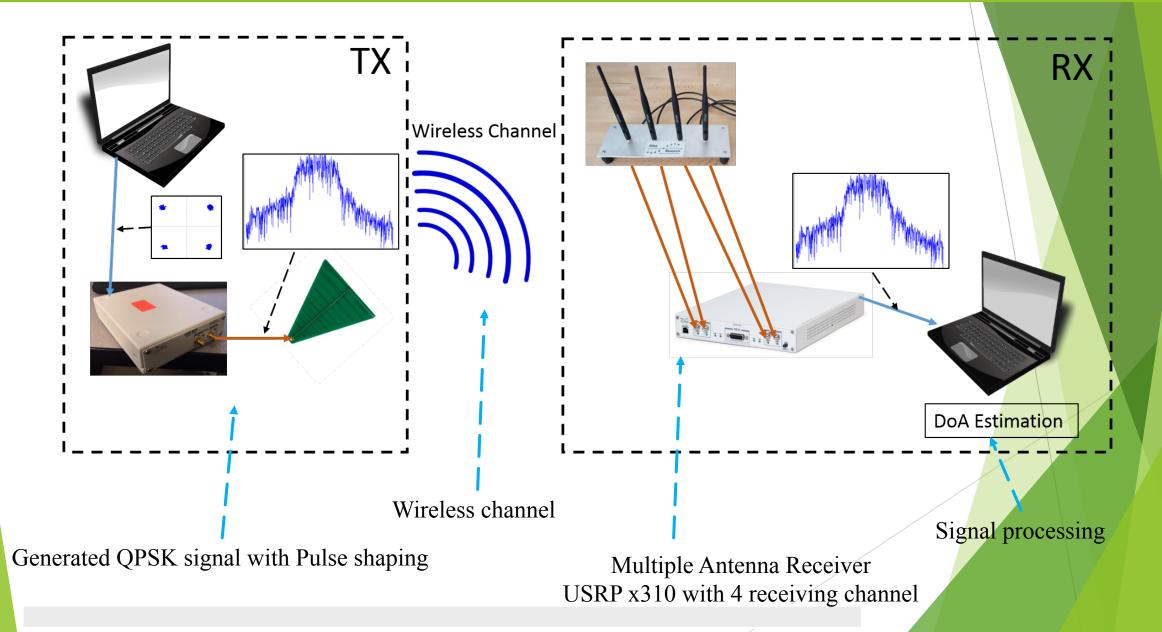




System Structure



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DoA Estimation

More Information More Accurate

Assume there are k transmitting sources, hence for kth source, the steering vector is:

$$\boldsymbol{d}^{T}(\boldsymbol{\theta}_{n}^{k}) = \left[1, e^{-\frac{j2\pi d \sin(\boldsymbol{\theta}_{k})}{\lambda}}, \dots, e^{-\frac{j2\pi d (S-1) \sin(\boldsymbol{\theta}_{k})}{\lambda}}\right]$$
(1)

Receiver observation is available at time n can be expressed as:

$$\boldsymbol{x}_n = \boldsymbol{D}_n(\boldsymbol{\theta})\boldsymbol{s}_n + \boldsymbol{w}_n \tag{2}$$

Spatial covariance matrix can be denoted as:

$$\boldsymbol{\Sigma}_{\boldsymbol{x}} = E[\boldsymbol{x}_n \boldsymbol{x}_n^H], \qquad (3)$$

Set $\sigma_{i,j}$ to be an element of matrix Σ_x , then

$$\sigma_{i,j} = E[x_n(i)x_n^*(j)], \qquad (4$$

DoA Estimation

Assume the set $F = \{f_0, f_1, \dots, f_{F-1}\}$ denotes index of the selected antennas. The reduced signal vector can be characterized as:

$$\mathbf{y}_n = [x_n(f_0), x_n(f_1), \dots, x_n(f_{F-1})]^T$$
(5)

The corresponding spatial covariance matrix is:

$$\boldsymbol{\Sigma}_{\boldsymbol{y}} = E[\boldsymbol{y}_n \boldsymbol{y}_n^H] \tag{6}$$

The relationship between Σ_x and Σ_y is:

 $E[\boldsymbol{y}_n(i)\boldsymbol{y}_n^*(j)] = E[\boldsymbol{x}_n(f_i)\boldsymbol{x}_n^*(f_j)] = \sigma_{f_i,f_j}, \quad (7)$

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DoA Estimation



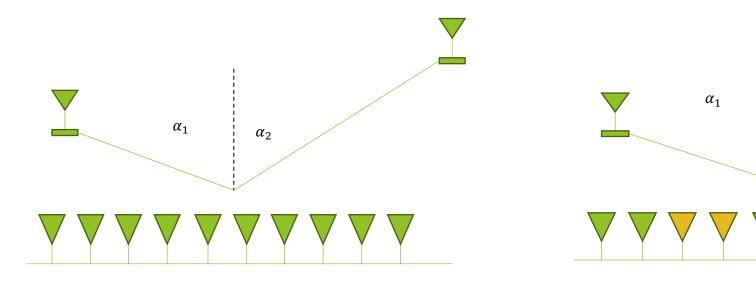


Figure: An uncompressed ULA with ten antennas receiving the signals from five sources in the far field (left). A compressed array with five antennas marked in yellow removed (right).

 α_2

$$\widehat{\Sigma}_{\boldsymbol{x}} = \frac{1}{N} \sum_{n=1}^{N} \boldsymbol{x}_n \boldsymbol{x}_n^H \xrightarrow{\boldsymbol{\rho}[m-l] = \boldsymbol{E}(\boldsymbol{x}_n[m]\boldsymbol{x}_n^*[l])}}_{\boldsymbol{\varphi} \coloneqq \{k_0, k_1, \dots, k_{K-1}\}} \boldsymbol{E}(\boldsymbol{y}_n[i]\boldsymbol{y}_n^*[j]) = \boldsymbol{E}(\boldsymbol{x}_n[k_i]\boldsymbol{x}_n^*[k_j]) = \boldsymbol{\rho}[k_i - k_j]$$

Properties of CCS

- 1. Reduce the *number of antennas*.
- 2. Allow the *cost saving* associated with the antennas: such as filter, mixers, ADCs.
- 3. "*Minimal Sparse Rulers* (MSR)" is proposed to reduce the number of antennas required for Σ_x estimation.

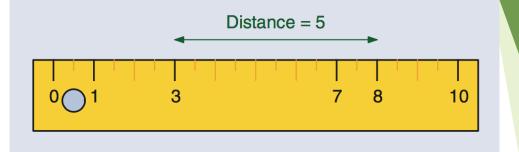


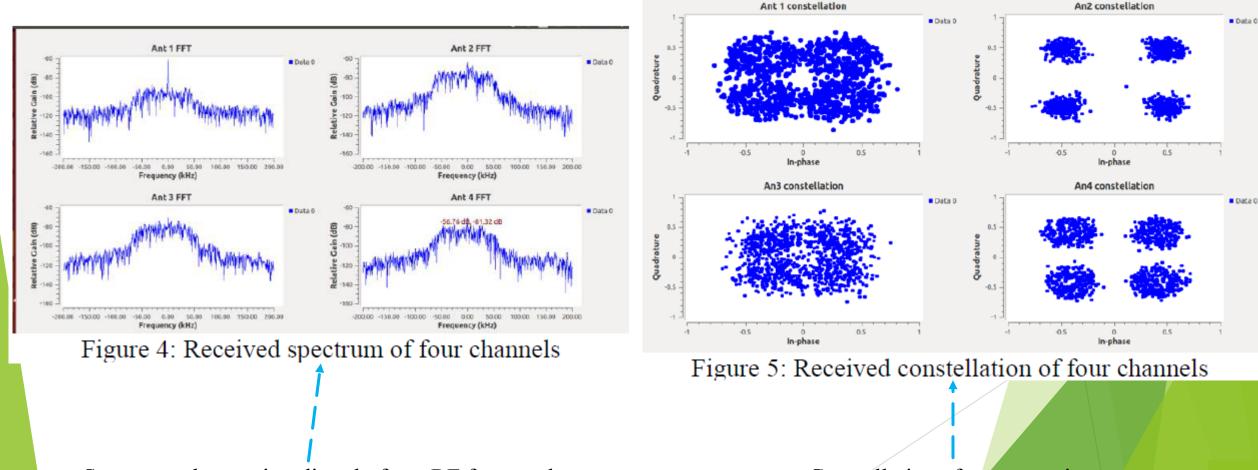
Figure. A sparse ruler can be thought of as a ruler with a part of its marks erased, but the remaining marks allow all integer distances between zero and its length to be measured





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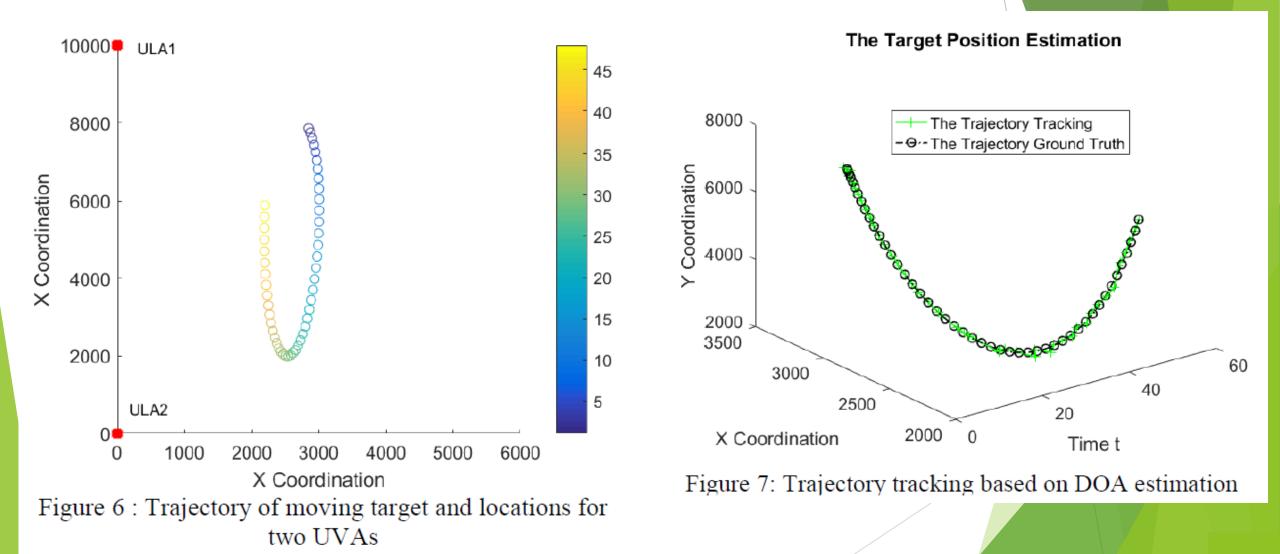




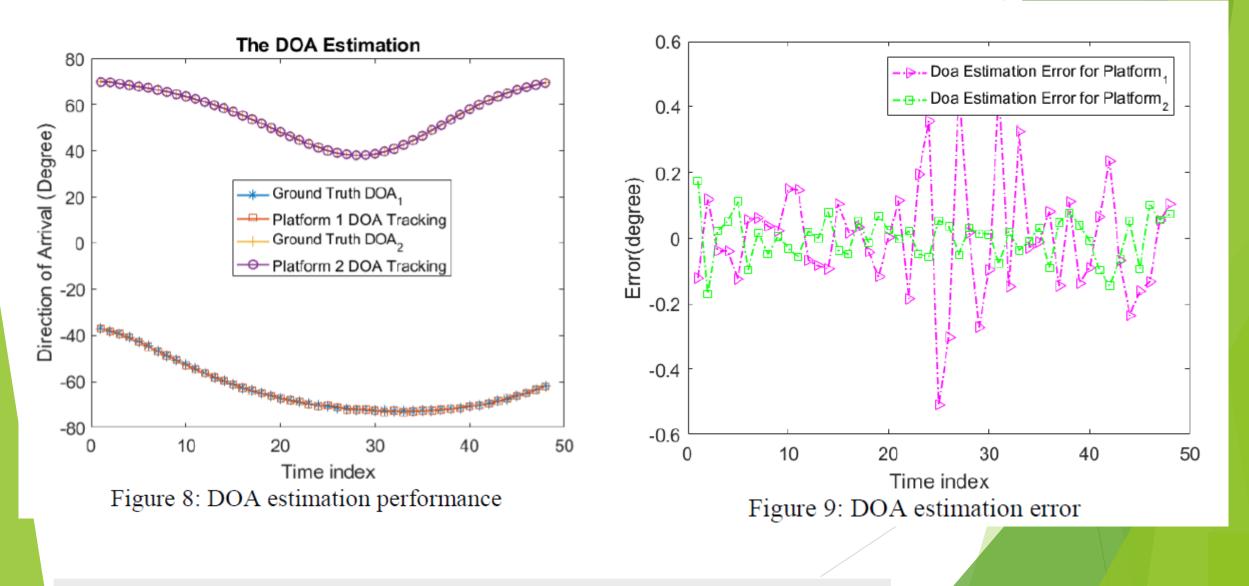
Spectrum observation directly from RF front end

Constellation after recovering

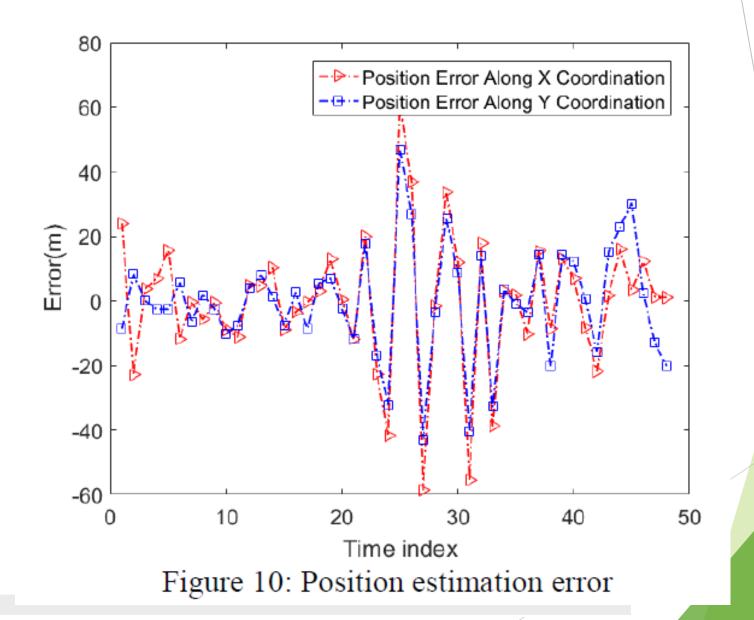












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Conclusion



- ✤ A design of digital beamforming for satellite transponder is proposed
- ✤ Software defined radio (SDR) based testbed is proposed
- ✤ A DoA estimation method is presented.
- ✤ Numerical result is demonstrated.



